

Exercises to the Lecture FSVT

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sheet 11

Exercise 1:

Let $sig = (\{int\}, 0 : \rightarrow int, s, abs : int \rightarrow int, +, - : int, int \rightarrow int)$.

Prove that there is no finite specification for the sig -algebra \mathbb{Z} with the usual interpretation of $0, s, +, -$, and abs . I.e. there is no finite sig -specification $spec$ s.t. $T_{spec} \cong \mathbb{Z}$.

Exercise 2:

Prove theorem 10.15.: For every recursive term-generated sig -algebra \mathfrak{A} , there is a finite enrichment sig' of sig and a finite specification $spec' = (sig', E)$ with $T_{spec'} \upharpoonright_{sig} \cong \mathfrak{A}$.

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